

# KSU CET

**S1 & S2 Notes**

2019 Scheme



30/6/2020

## MODULE-1

# STRUCTURED PROGRAMMING

→ It is a method for designing and coding programs in a systematic, organized manner.

\* best known programming method.

3 types or forms  
\* Simplest form of a program is one after the other arrangement or a sequence -  
Program as a list of instructions that are obeyed one after the other.

\* Selection! - Instructions are selected depending on some condition.

\* Looping: Instructions are repeated.

→ Sequencing, selection and looping are the basic building blocks that makes up a structure program

\* S.P controls the complexity of the flow by using only a small number of simple and standard control structures.

- Eg if, ifelse and switch-case for selection.

while, do-while, and for for looping.

\* A complex problem is divided into logically independent units and these units are then joined using basic structures -

\* Advantages: -

- easier to understand because modules can be considered independently.
- easier to identify the structure of a particular program component.
- easier to maintain or modify (as individual modules can be corrected without changing the entire program).
- easier to design because the modules can be designed independently.

## PROBLEM SOLVING

Steps involved are: ↓

1] Problem Analysis

- \* Studying the problem in detail.
- \* Reducing the problem (restarting)
- \* Identifying input available, output requirements and constraints in the problem.

2] Algorithm Development & Program Design

- \* Generating alternate ways of solution
- \* selecting the best method among the alternatives.
- \* Preparing a list of procedures or steps necessary for determining the solutions.

### 3) Computing the results

- \* Program coding
- + Program compilation and execution
- \* Program testing and debugging (checking problems) (test cases)
- \* Program documentation.

## ALGORITHM

(it must be as detailed as possible)

For designing a code:  
Algorithm  
Flowchart  
pseudocode

- \* The design specifies how the problem is solved and this description is called algorithm.
- \* consists of a number of elementary operations and instructions about how the operations are carried out.
- \* There are usually several alternative algorithms for solving a problem and we select the best one.
- \* Algorithm can be written in different ways
  - \* using natural language - common method.
  - \* Flowchart - pictorial representation of algorithm.

## ⇒ Qualities of a good algorithm

- \* Input and output should be defined precisely.
- \* Each step in the algorithm should be clear and unambiguous. (without confusion)
- \* Algorithms should be most effective among many different ways to solve a problem.
- \* An algorithm shouldn't have a computer code. Instead, it should be written in such a way that it can be used in different programming languages.

3/07/2020

# ALGORITHM

## Example 1

### Sequence

1] Algorithm to find the sum of two numbers.

Step 1 : start.

Step 2 : Read two numbers  $x$  and  $y$

Step 3 : Let  $z = x + y$

Step 4 : Display the sum  $z$ .

Step 5 : stop.

## Example 2

2] Algorithm to evaluate the equation  $ax^2 + bx + c$ , where  $x$  is a variable and  $a, b, c$  are coefficients.

Step 1 : start

Step 2 : Read the values of the coefficients  $a, b$ , and  $c$

Step 3 : Read the value of  $x$ .

Step 4 : Calculate  $s = (a * x^2) + (b * x) + c$

Step 5 : Display the results

Step 6 : stop

## SELECTION

### Example 3

3] Algorithm to find the largest of two numbers.

step 1 : start.

step 2 : Read two numbers 'x' and 'y'.

step 3 : if  $x > y$ , then go to step 4, otherwise go to step 6.

step 4 : Display 'x' as the largest, go to step 6.

step 5 : Display 'y' as the largest.

step 6 : stop.

### Example 4

4] Algorithm to find solution of a quadratic equation  
 $ax^2 + bx + c = 0$ .

step 1 : start

step 2 : Read the coefficients 'a', 'b' and 'c'.

step 3 : Calculate  $d = \text{sqrt}[(b^2) - (4 * a * c)]$

step 4 : If  $(d = 0)$ , then go to step 5, otherwise go to step 6.

step 5 : display that both roots are equal and  $= -b / (2 * a)$ , go to step 10.

step 6 : If  $(d > 0)$ , then go to step 7, otherwise go to step 9.

step 7 : calculate  $r_1 = (-b + d) / (2 * a)$  and  
 $r_2 = (-b - d) / (2 * a)$ .

step 8 : Display roots  $r_1$  and  $r_2$ , go to step #10.

step 9 : Display that the equation has imaginary  
roots

step 10 : stop.

## LOOPING

### Examples

5] Algorithm to display numbers from 1 to n.

step 1 : start

step 2 : Read the value of n

step 3 : let  $i = 1$ .

step 4 : Repeat steps 4 to 5 if 'i' is less than n.

step 5 : Display the value of i.

step 6 : Increment i.

step 7 : stop.



Examples  
6] Algorithm to find the factorial of a number

step 1 : start.

step 2 : Read a number, num.

step 3 : Let  $i=1$  and  $f=1$ .

step 4 : Repeat steps 5 to 6 if  $i$  is less than or equal to num.

step 5 : Calculate  $f=f*i$ .

step 6 : increment  $i$ .

step 7 : Display the factorial,  $f$ .

step 8 : stop.

### Example 7

7] Write an algorithm to find and display fibonacci series.

step 1 : start.

step 2 : Read <sup>the limit</sup> a number, num.

step 3 : Initialize ~~sum~~, let  $s_1=0$  and  $s_2=1$ .

step 4 : Let  $i=1$ .

step 5 : Repeat steps 6 to 9 if  $i$  less than or equal to num.

step 6 : Display the value of  $s_1$ .

step 7 : Let  $sum = s_1 + s_2$ .

step 8 : then  $s_1 = s_2$  and  $s_2 = sum$ .

step 9 : Increment  $i$ .

Step 10: Stop.

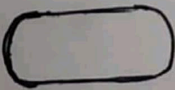
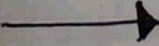
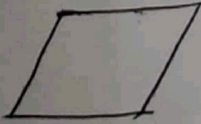
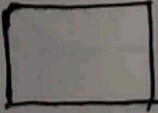

7/07/2020

## FLOWCHART

# Graphical representation of algorithm.

# Uses special symbols whose shape determines the kind of operation being performed.

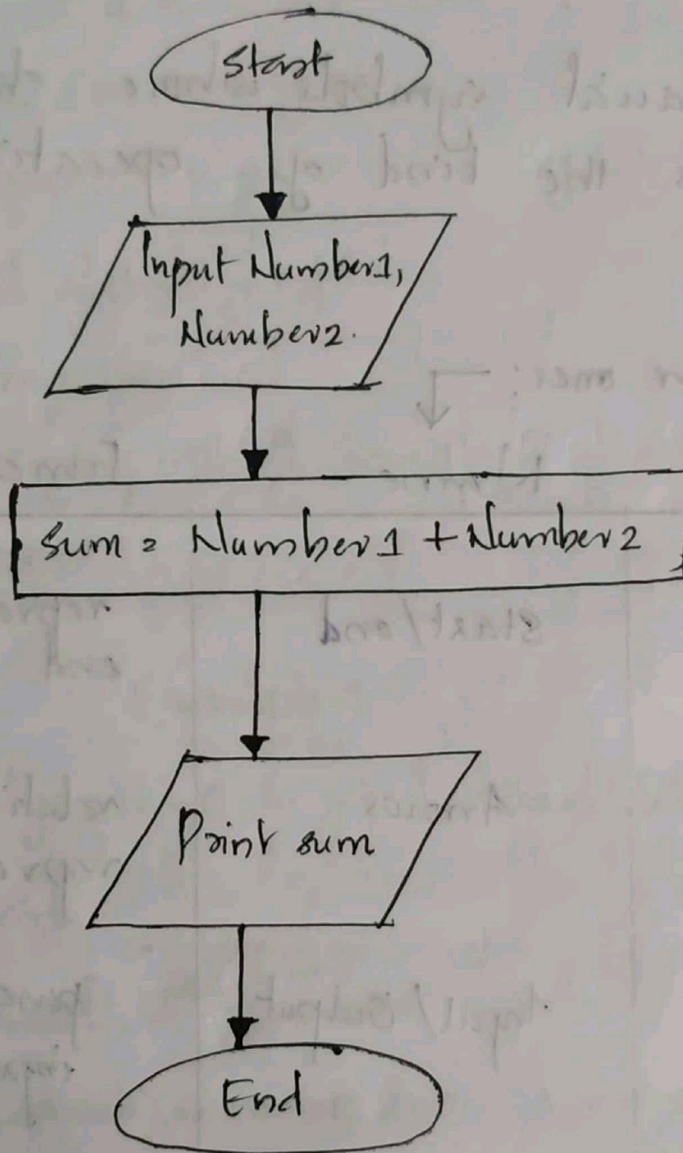
# Most popular ones: ↓

Symbol	Name	Function.
	Start/end	represents start and end
	Arrows	relationship b/w the representative shapes.
	Input/Output	parallelogram represents input or output
	Process	represent a process
	Decision.	A diamond indicates a decision (or condition)

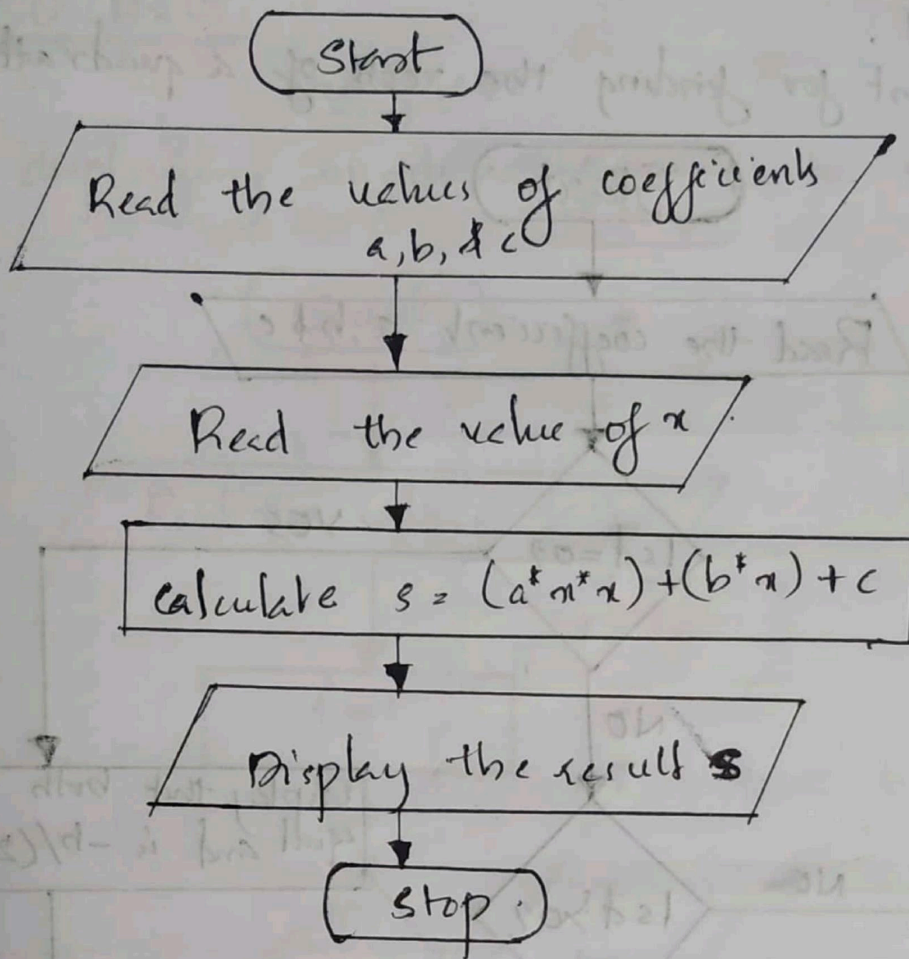
# → SEQUENCE

## Example - 1

1] Flow chart for finding sum of two numbers.



## Example - 2

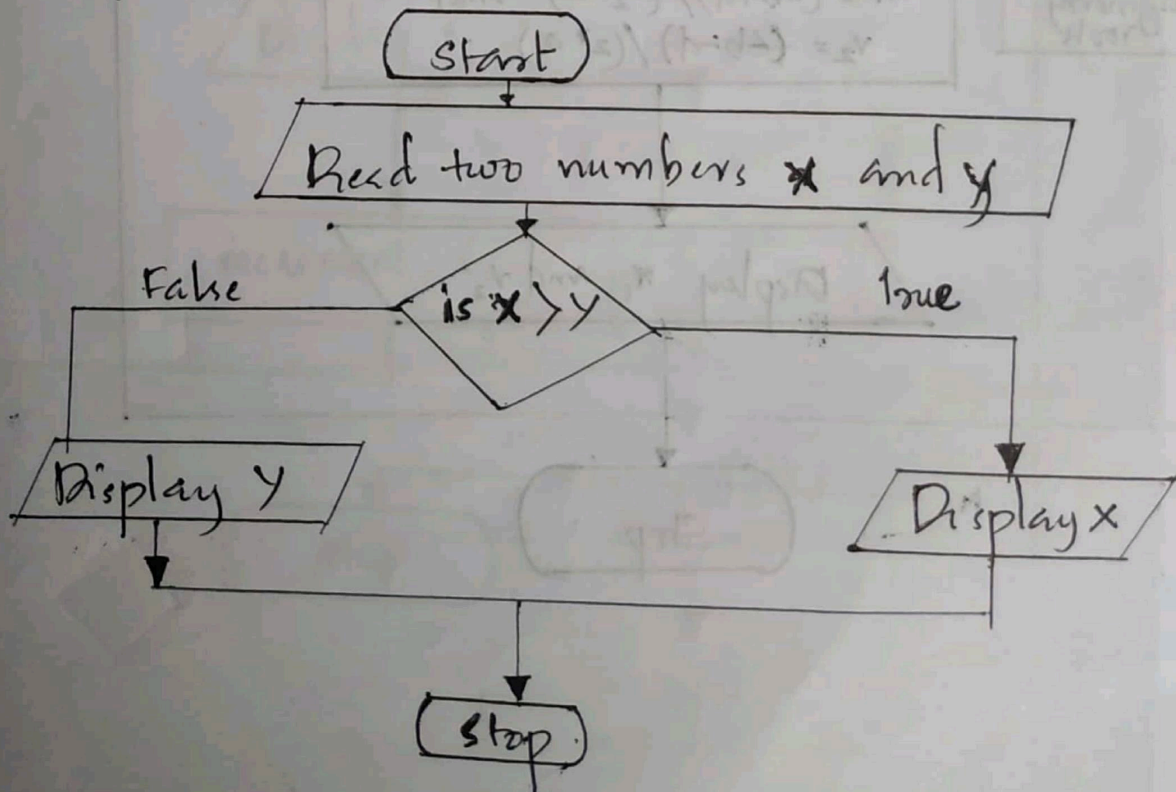


→

### SELECTION

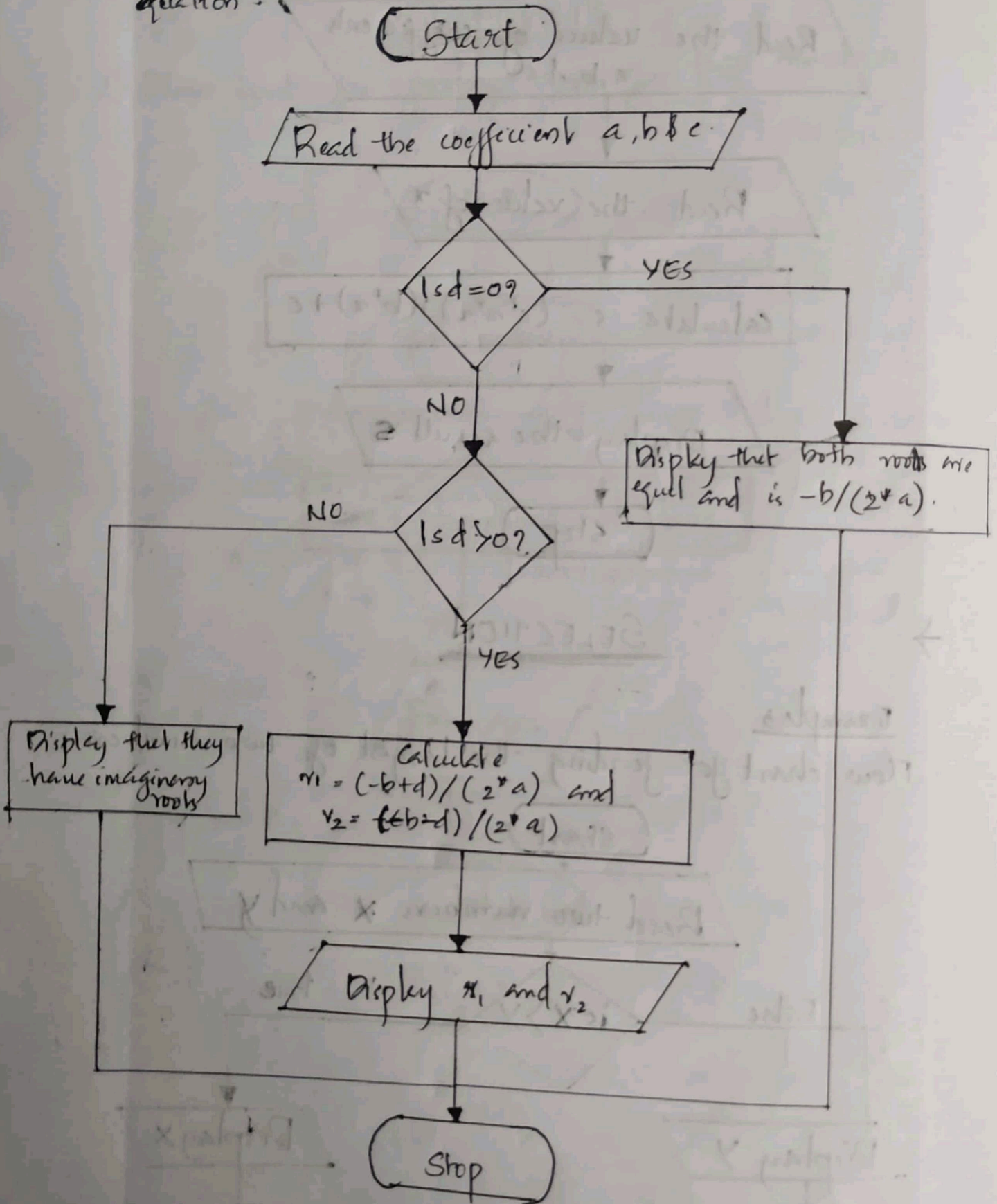
#### Example 3

Flow chart for finding the largest of two numbers.



Example 4

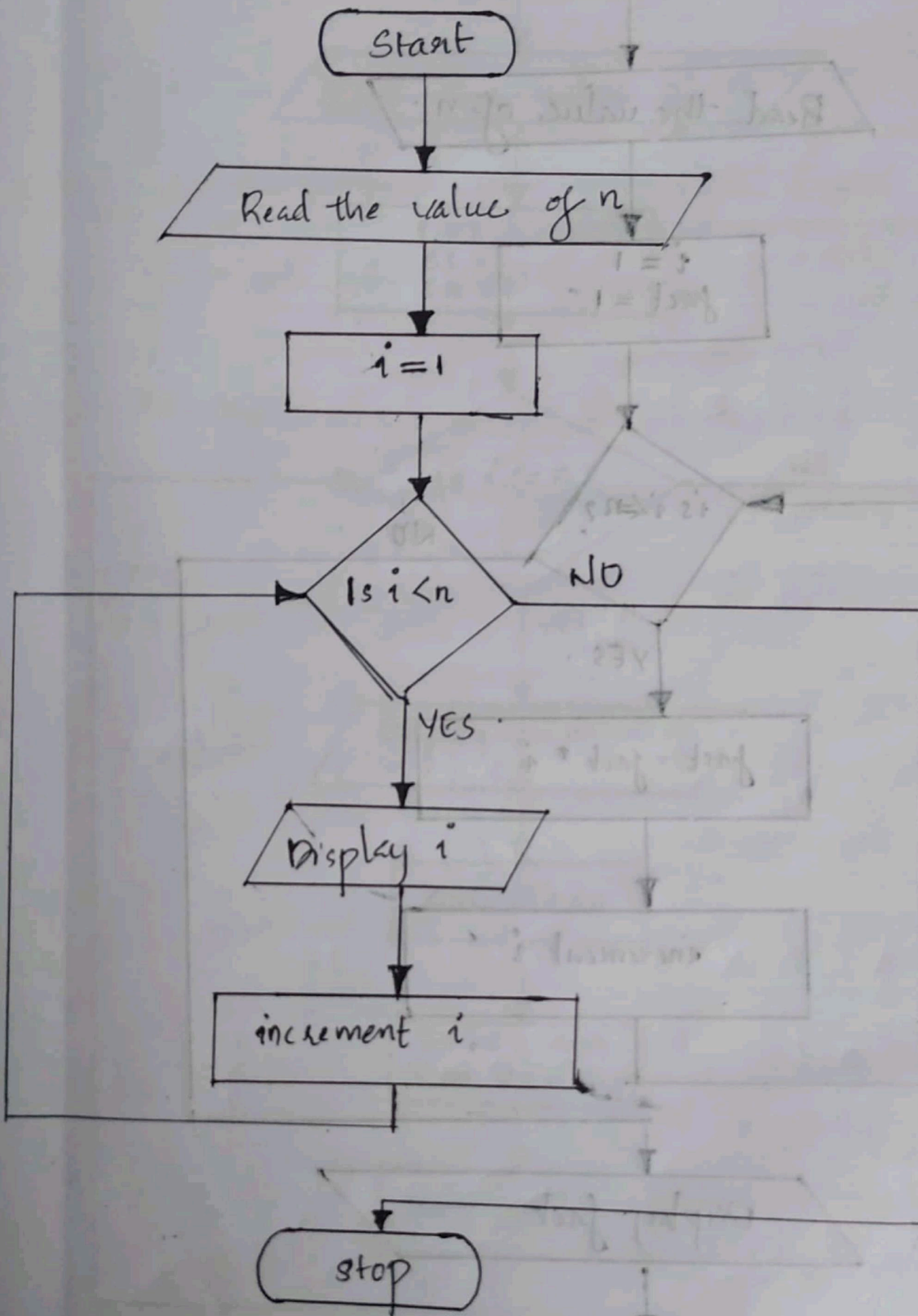
•) Flow chart for finding the roots of a quadratic equation.



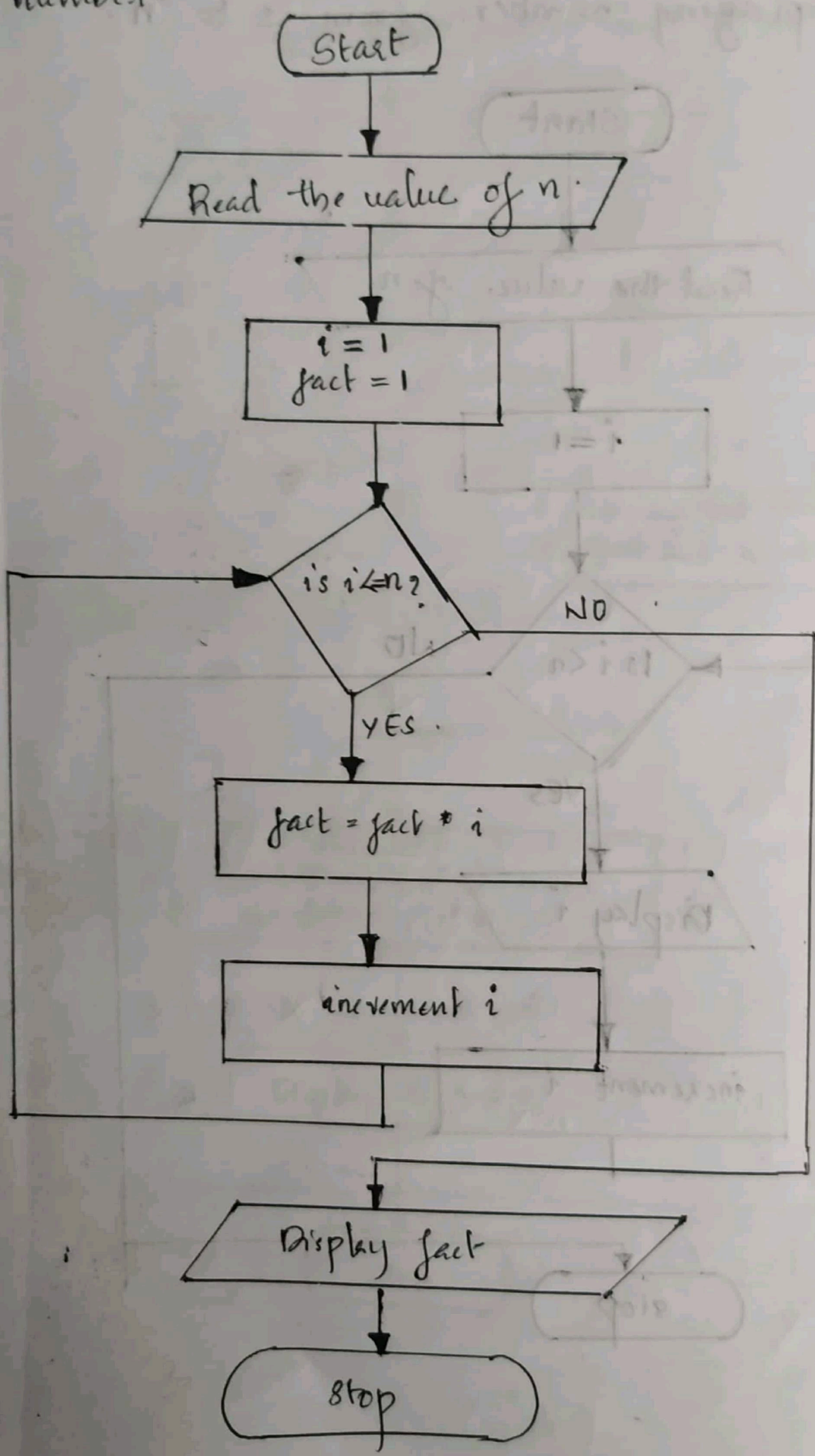
# ⇒ LOOPING

## Example 5

For displaying numbers from 1 to n.



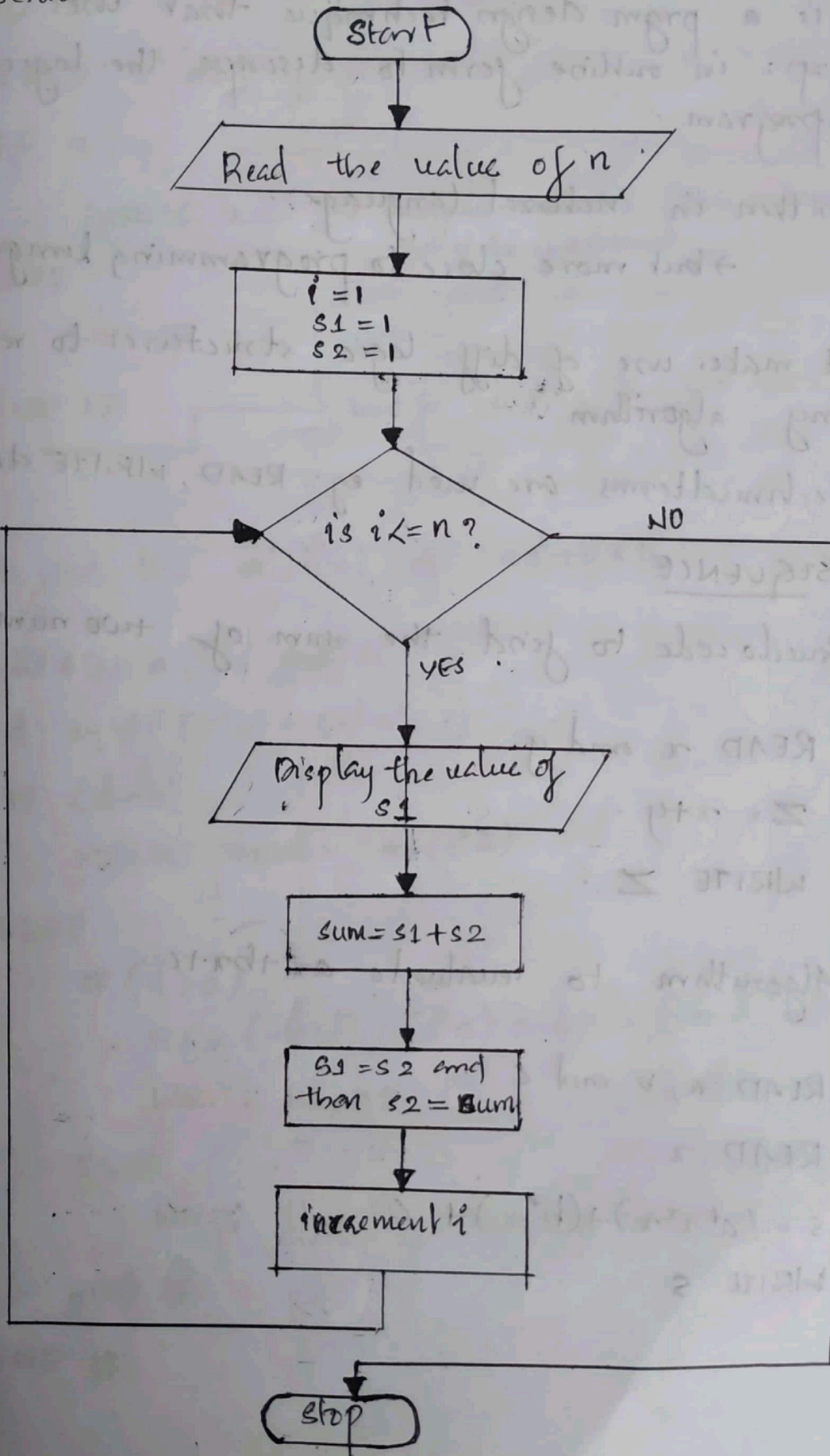
- Example 6
- Flowchart for finding the factorial of a number.



H.W

Example 7

Draw the flow chart for displaying fibonacci series.





# 10/07/2020 PSEUDOCODE

- is a prgm design technique that uses informal exp: in outline form to describe the logic of a program.
- written in natural language.  
→ but more close to programming language.
- It makes use of diff: logic structures to represent any algorithm.
- Technical terms are used eg: READ, WRITE etc.

## SEQUENCE

1] Pseudo code to find the sum of two numbers.

```
READ x and y.  
Z = x + y.  
WRITE Z.
```

2] Algorithm to evaluate  $ax^2 + bx + c$ .

```
READ a, b and c  
READ x  
S = (a * x * x) + (b * x) + c  
WRITE S
```

## SELECTION

3] Algorithm to find the largest of two numbers.

READ  $x$  and  $y$

IF  $x > y$

WRITE  $x$ . → tab space indicates, this statement is a part of the if statement.

ELSE

WRITE  $y$ .

END IF → used for indicating end of a construct.

4] To find the solution of  $ax^2 + bx + c$ .

READ  $a$ ,  $b$  and  $c$

$d = \text{sqrt}[(b^2) - (4 * a * c)]$

IF  $(d = 0)$

WRITE roots =  $-b / (2 * a)$ .

ELSE

IF  $(d > 0)$

$r_1 = (-b + d) / (2 * a)$  and  $r_2 = (-b - d) / (2 * a)$ .

WRITE  $r_1, r_2$ .

ELSE

WRITE that the eqn: has imaginary roots.

END IF

END IF.

## LOOPING

5] To display numbers from 1 to n.

```
READ n
i = 1
IF i ≤ n DO → represents looping.
    WRITE i
    i++
END DO.
```

6] finding factorial of a number.

→ while model

```
READ num
i = 1, f = 1
IF i ≤ n, DO
    f = f * i
    i++
END DO.
WRITE f.
```

OR

```
READ num
f = 1
FOR i = 1 to n DO
    f = f * i
END DO
WRITE f.
```

H.W

7] Write pseudo code for fibonacci series for numbers 1 to n

```
READ n.
i = 1, s1 = 1, s2 = 1
IF i ≤ n, DO
    WRITE s1
    sum = s1 + s2
    s1 = s2
```

```
S2 = sum.  
i++  
END DO.
```

Iteration 1: sum = 1

Iteration 2: sum = 3

Iteration 3: sum = 6